

Persuasion Profiling and Streaming Data Analysis and ...

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October 22, 2015

Background

Persuasion

- Persuasion in e-commerce

- Estimating the effects of persuasion

- Estimating heterogeneity

Persuasion Profiling

- The persuasion profile

- Applications

Recent work

- Multi Armed Bandits

- Estimation and Optimization in Data streams

- Formalization of Personalization

Section 1

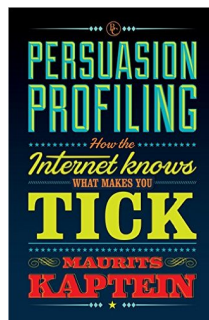
Background

Education

- ▶ MSc. Economic Psychology, Tilburg University
- ▶ PdEng. User System Interaction, University of Eindhoven
- ▶ Ph.D. Industrial Design, University of Eindhoven & Stanford University
- ▶ Post Doc. Marketing, Aalto School of Economics, Helsinki

Current appointments

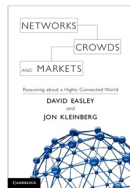
- ▶ Assistant Professor, Artificial Intelligence, Radboud University Nijmegen
- ▶ Founder & Chief Scientist, PersuasionAPI & Science Rockstars, Amsterdam / Barneveld. Acquired by Webpower b.v..
- ▶ Speaker for The Next Speaker
- ▶ Author: “Persuasion Profiling” (in Dutch “Digitale Verleiding”)



Section 2

Persuasion

Persuasion in E-Commerce

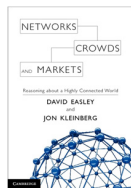


Networks, Crowds & Markets

Easley & Kleinberg

Recommended price: \$ 14.99

Persuasion in E-Commerce



Networks, Crowds & Markets

Easley & Kleinberg

Recommended price: \$ 14.99



Networks, Crowds & Markets

Easley & Kleinberg

Recommended price: \$ 14.99

Main Effects of Persuasion

- ▶ Average effect of the little “button”: Willingness to pay increase by $> 30\%$
- ▶ Similar effects in different studies: Probability of purchase increased by 5 to 25%

Distinct Persuasion Strategies

- ▶ Scarcity
- ▶ Authority
- ▶ Social proof
- ▶ Liking
- ▶ Reciprocity
- ▶ Commitment
- ▶ ...

Estimating individual level effects of persuasion¹

$$y_{jbq} \sim \mathcal{N}(X_{jb}\beta_j + \alpha_b + \eta_q, \sigma_{err}^2) \quad (1)$$

with

$\beta_j \sim \mathcal{N}(\bar{\beta}, \Sigma_\beta)$ for $j = 1, \dots, J = 179$ subjects

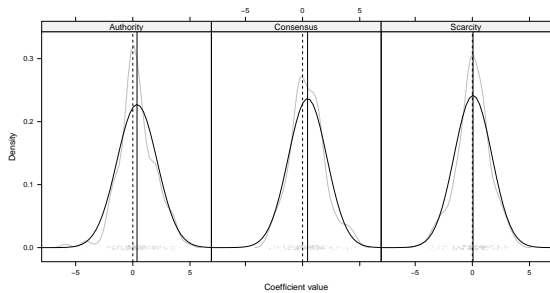
$\alpha_b \sim \mathcal{N}(0, \Sigma_\alpha)$ for $b = 1, \dots, B = 14$ books

$\eta_q \sim \mathcal{N}(0, \sigma_\eta^2)$ for $q = 1, \dots, Q = 4$ questions.

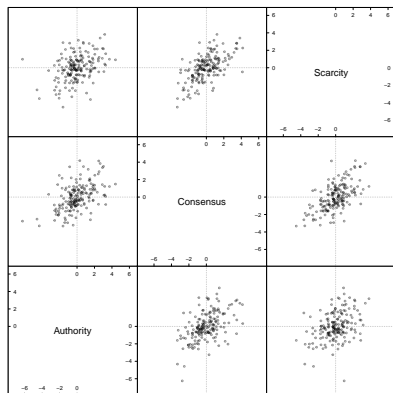
β is a 179×4 matrix of intercepts and coefficients for each strategy for each individual.

¹Kaptein & Eckles (2012). Heterogeneity in the effects of online persuasion.
Journal of Interactive Marketing

Results



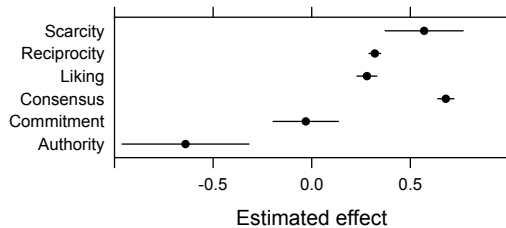
Results 2



Section 3

Persuasion Profiling

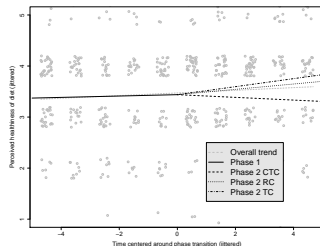
The persuasion profile²



²Kaptein, Eckles, & Davis (2011). Envisioning Persuasion Profiles.
ACM Interactions

Using persuasion profiles for snacking³

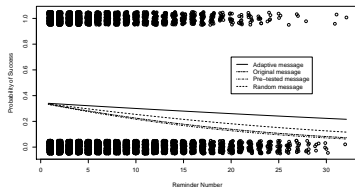
- ▶ Susceptibility measured using questionnaire
- ▶ Selection of strategies
Random, Contra Tailored, or Tailored
- ▶ Expected decrease of 1 snack after 5 days
- ▶ $N = 73$



³Kaptein, de Ruyter, Markopoulos, & Aarts (2012).

Using persuasion profiles for email compliance⁴

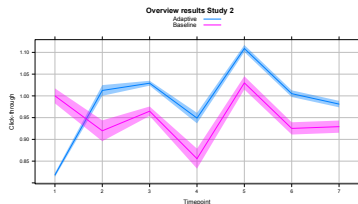
- ▶ Susceptibility estimated based on behavioural response
- ▶ Selection of strategies Adaptive, Original, Pre-tested, Random
 - ▶ More on adaptive later
 - ...
- ▶ Large differences in success probability
- ▶ $N = 1129$



⁴Kaptein & van Halteren (2012).

Application with Booking.com⁵

- ▶ Optimising email communication for Booking.com
- ▶ 200.000+ Weekly emails
- ▶ Click through increase > 10%
- ▶ Paper contains 3 more empirical validations



⁵Kaptein, Parvinen, & McFarland (2015).
Web Customization with Persuasion Profiling:
Dynamic Adaptation of Promotional Web Content on the Fly.
Under review, draft available on request.

Section 4

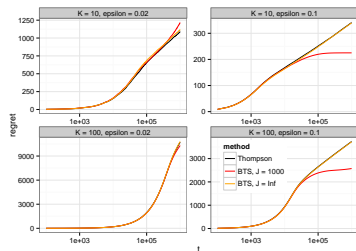
Recent work

Technical Challenges and Recent work

- ▶ Exploration vs Exploitation: Multi Armed Bandit Problems
 - ▶ MAB problems
 - ▶ Bootstrap Thompson sampling
 - ▶ Thompson sampling for estimation precision
- ▶ Estimation and optimization in data streams
 - ▶ SEMA (Streaming EM)
 - ▶ StreamingBandit: software
 - ▶ Lock in Feedback
- ▶ Formalizing personalization

Bootstrapped Bandit⁶

- ▶ Thompson sampling works well if posterior is known
- ▶ Not the case for complex models
- ▶ What about the (double or nothing) bootstrap distribution?
- ▶ For $1, \dots, J$ online bootstrapped replicates



⁶Kaptein, & Eckles (2014).

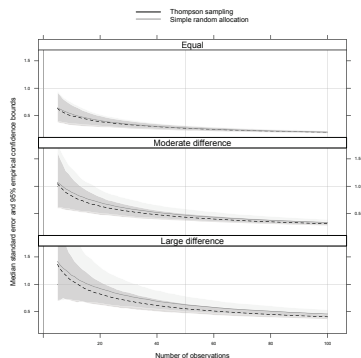
Scalable Thompson Sampling with the Online Bootstrap.

arXiv

Eckles & Kaptein (2015). Submitted.

Thompson sampling for optimal design ⁷

- ▶ Thompson sampling for optimal design
- ▶ Sample for most “informative” datapoints
- ▶ Select treatments based on posterior variance estimates.



⁷Kaptein, M.C. (2014).

Estimation in data streams

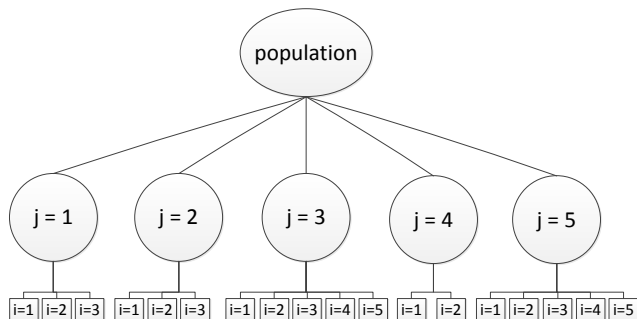


Figure: Graphical representation

Offline EM algorithm vs. SEMA⁸

Offline EM algorithm

- ▶ All data in memory
- ▶ Iterations using the entire data set
- ▶ Converges to (local) ML solution
- ▶ Refit model when new data enter

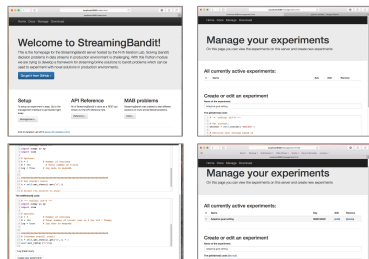
Streaming EM Approximation

- ▶ Sufficient Statistics in memory
- ▶ One iteration when a data point enters
- ▶ Converges when data stream is long enough
- ▶ Update model parameters when new data enter

⁸Ippel, L., Vermunt, J., & Kaptein, M.C. (2015) Streaming EM approximations. *Under submission.*

Streaming Bandit ⁹

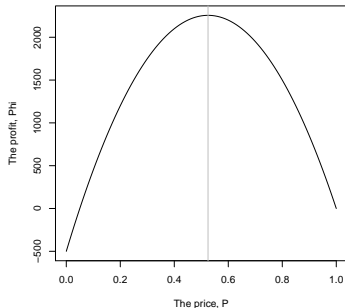
- ▶ Back end solution for streaming bandits
- ▶ Easy integration with persuasive applications
- ▶ Work in progress . . .



⁹Kaptein, M.C. & Kruijswijk, J. (2015).

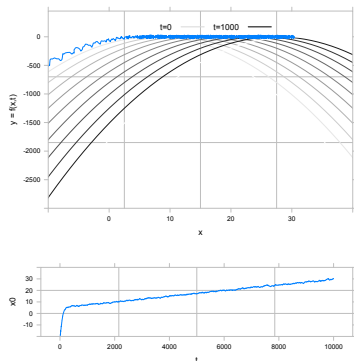
Optimization of online sales prices

- ▶ Relationship between price P and profit G .
- ▶ Exact function is however $G = f(P)$ unknown.
- ▶ We need to find the profit maximizing sales price sequentially.
- ▶ Pricing as a MAB problem
- ▶ Currently running evaluations with Santander: Pricing customer loans.



Lock in Feedback ¹⁰

- ▶ Suppose we can vary treatments:
 $x(t) = x_0 + A \cos(\omega t)$ and
 $y = f(x)$.
- ▶ Then, we can a) multiply observed y by $\cos \omega t$, and b) integrate out the possible noise.
- ▶ By Taylor expanding y we can show this gives direct access to the derivative of (unknown) $f(x)$.
- ▶ Thus, we can use it as an update-rule for x_0 .



Formalization of Personalization in Persuasive Technologies

- ▶ Features of the person and Possible treatments

$$x \in \{\text{Male, Female}\}$$

$$a \in \{\text{Message A, Message B}\}$$

$$y_i = \mathcal{M}_g() = f(x_i, a_i)$$

- ▶ With criterion:

$$\mathcal{C}_1 = \max \sum_{i=1}^N y_i = \max \sum_{i=1}^N f(x_i, a_i)$$

Formalization of personalized feedback

(Possible) Data generating model:

$$y_i = \mathcal{M}_G() = \beta_0 + \beta_1 a_1^* + \beta_2 x_i + \beta_3 a_i^* x_i + \epsilon$$

Personalization function:

$$a^* = \eta(a^b, x)$$

where a^b denotes the “baseline” treatment. Consider for example:

- ▶ *Non personalized*: $a_i^* = \eta_{np}(a_i, x_i) = a_i$
- ▶ *Personalized*: $a_i^* = \eta_p(a_i, x_i) = (1 - a_i)^{(1-x_i)}(a_i)^{x_i}$

Using the above formalization *personalization* is effective if:

$$\operatorname{argmax}_{a^b} \sum_{i=1}^N \mathcal{M}_g(\eta_u(a_i^b), x_i) < \operatorname{argmax}_{a^b} \sum_{i=1}^N \mathcal{M}_g(\eta_p(a_i^b, x_i), x_i) \quad (2)$$

And we can state the following (trivial) results for the 2×2 model:

- ▶ Personalization is only relevant if $\beta_3 \neq 0$
- ▶ With $\eta_p(a_i, x_i) = (1 - a_i)^{(1-x_i)}(a_i)^{x_i}$ and criterion \mathcal{C}_1 personalization is beneficial if $\beta_3 > -\beta_1$.

¹¹Kaptein, M.C. (2015)

Questions?

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