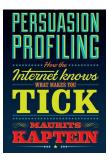
# Data Science methods for treatment personalization in Persuasive Technology

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#### Personalization

With *personalization* we try to find the "right content for the right person at the right time" [10].

Applications in Communication, Persuasive technology, Marketing, Healthcare, etc., etc.

More formally, we assume we have a population of N units, which represent themselves sequentially. For each unit  $i=1,\ldots,i=N$  we first observe their properties  $\vec{x_i}$ , and subsequently, using some decision policy  $\pi()$ , we choose a treatment  $a_i$ , (i.e.  $\pi:(x_i,d)\to a_t)$ . After the content is shown, we observe the associated outcome, or reward  $r_i$ , and our aim is to choose  $\pi()$  such that we maximize  $\sum_{i=1}^N r_i$ .

#### Overview

Selecting persuasive interventions

Selecting personalized persuasive interventions

Applications in persuasive technology design

Available software

### Section 1

Selecting persuasive interventions

## The multi-armed bandit problem

For 
$$i = 1, ..., i = N$$

- ▶ We select and action  $a_i$ . (Often actions k = 1, ..., k = K, not always).
- ▶ Observe reward *r<sub>i</sub>*.

Select actions according to some policy

$$\pi: \{a_1, \ldots, a_{i-1}, r_1, \ldots, r_{i-1}\} \mapsto a_i.$$

**Aim:** Maximize (expected) cumulative reward  $\sum_{i=1}^{N} r_i$ 

(or, minimize Regret which is simply  $\sum_{i=1}^{N} (\pi_{max} - \pi())$  [3].

# The canonical solution: the "experiment"

For i = 1, ..., i = n (where n << N):

- ▶ Choose k with  $Pr(a_i = k) = \frac{1}{K}$ .
- Observe reward.

Compute  $\bar{r}^1, \dots, \bar{r}^K$  and create guideline / business rule.

For i > n:

► Choose  $a_i = \arg \max_k(\bar{r}^1, ..., \bar{r}^K)$  [12, 6, 9].

#### Alternative solutions

#### 1. $\epsilon$ -Greedy:

For i = 1, ..., i = N:

- w. Probability  $\epsilon$  choose k with  $Pr(a_i = k) = \frac{1}{K}$ .
- w. Probability  $1 \epsilon$  choose  $a = \arg\max_k(\bar{r}^1, \dots, \bar{r}^K)$  (given the data up to that point) [2].

#### 2. Thompson sampling:

Setup a Bayesian model for  $r^1, ..., r^K$ For i = 1, ..., i = N:

- Play arm with a probability proportional to your belief that it is the best arm.
- ► Update model parameters

  Easily implemented by taking a draw from the posterior [4, 1].

## Performance of different content selection policies

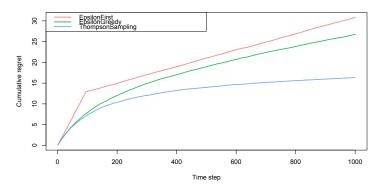


Figure: Comparison in terms of **regret** between three different bandit policies on a 3-arm Bernoulli bandit problem with true probabilities  $p_1 = .6, p_2 = p_3 = .4$  in terms of regret. Figure averages over m = 10.000 simulation runs. Thompson sampling outperforms the other policies.

## Intuition behind a well performing allocation policy

A good policy effectively weights exploration and exploitation:

- **Exploration:** Try out the content that we are unsure about: learn.
- ► **Exploitation:** Use the knowledge we have / choose the content we think are effective: earn.

We can think about the experiment as moving all exploration up front. In this case, it is a) hard to determine how much we need to explore (since there is no outcome data yet), and b) we might make a wrong decision.

#### Section 2

Selecting personalized persuasive interventions

## The problem

For 
$$i = 1, ..., i = N$$

- We observe the context  $\vec{x_i}$ .
- We select and action a<sub>i</sub>.
- Observe reward r<sub>i</sub>

Aim remains the same, but problem more challenging: the best action might depend on the context.

## The current approach

Do experiments within subgroups of users

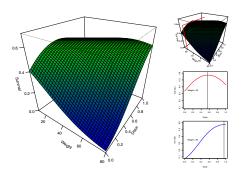
(or, re-analyze existing RCT data to find heterogeneity).

- Subgroup selection driven by a theoretical understanding of the underlying mechanism.
- Effectively solve a non-contextual problem within each context.

Thus, we see the problem as many separate problems

In the limit: no room for exploration when users are fully unique! (  ${\it N}=1$  )

## Searching the context $\times$ action space



- ▶ Different outcome for each action for each covariate.
- ▶ We need to **learn** this relation **efficiently**.

## An alternative approach

It is easy to extend Thompson sampling to include a context

For 
$$i = 1, ..., i = N$$
:

- ▶ Create a model to predict  $\mathbb{E}(r_t) = f(a_t, x_t)$  and quantify your uncertainty (e.g., Bayes)
- **Exploration:** Choose actions with uncertain outcomes.
- **Exploitation:** Choose action with high expected outcomes.

Very flexible models available for  $\mathbb{E}(r_t) = f(a_t, x_t)$  [8, 7, 13] and efficient procedures are available for incorporating uncertainty: LinUCB [5], Thompson Sampling [11], Bootstrap Thompson Sampling [6], etc.

#### Performance

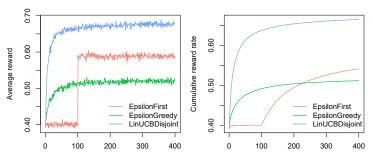


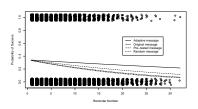
Figure: Simple comparison of LinUCB ("frequentist Thompson sampling") with non-contextual approaches for a 3-armed Bernoulli bandit with a single, binary, context variable. Already in this very simple case the difference between the contextual and non-contextual approach is very large.

#### Section 3

Applications in persuasive technology design

# Personalized reminder messages<sup>1</sup>

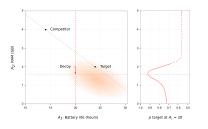
- Susceptibility estimated based on behavioral response
- Selection of strategies Adaptive, Original, Pre-tested, Random
  - Adaptation done use (hierarchical) Thompson sampling
- Large differences in success probability
- N = 1129

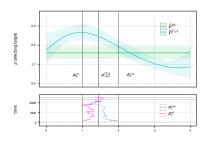




<sup>&</sup>lt;sup>1</sup>Kaptein & van Halteren (2012). Adaptive Persuasive Messaging to Increase Service Retention. Journal of Personal and Ubiquitous Computing

# Optimizing the decoy effect<sup>2</sup>





<sup>&</sup>lt;sup>2</sup>Kaptein, M.C., van Emden, D., & lannuzzi, D. (2016) "Tracking the decoy; Maximizing the decoy effect through sequential experimentation" *Palgrave Communications* 

# Personalized persuasive messages in e-commerce<sup>3</sup>

- Change persuasive messages
- Using online hierarchical models
- ► Three large scale (n > 100.000) evaluations



# Personalized persuasive messages in e-commerce Results

Trial	Type	Visitors	Page Views	Adaptive	Random	Status quo
1	Bathing products	563,776	2,085,996	80.0 %	19.5 %	.5 %
2	Lingerie	44,740	167,426	70.0 %	20.0 %	10.0 %
3	Flash sales	375,013	5,403,056	60.0 %	20.0 %	20.0 %

Trial	Observations	Status quo (A)	Random (B)	Adaptive (C)	
1	2,085,996	1 <sup>c</sup>	1.061	1.083 <sup>A</sup>	
2	167,426	1 <sup>C</sup>	1.012	1.036 <sup>A</sup>	
3	5,403,056	1 <sup>BC</sup>	1.034 <sup>AC</sup>	1.076 <sup>AB</sup>	

## Section 4

Available software

## Streaming Bandit

- Back end solution for online execution of bandit policies
- Setup a REST server to handle action selection
- Recently released first stable version

#### We identify two steps:

- 1. The summary step: In each summary step  $\theta_{t'-1}$  is updated by the new information  $\{x_{t'}, a_{t'}, r_{t'}\}$ . Thus,  $\theta_{t'} = g(\theta_{t'-1}, x_{t'}, a_{t'}, r_{t'})$  where g() is some update function.
- 2. The decision step: In the decision step, the model  $r = f(a, x_{t'}; \theta_{t'})$  is evaluated for the current context and the possible actions. Then, the recommended action at time t' is selected.

Implemented in getAction() and setReward() calls.



# Streaming Bandit 2<sup>4</sup>

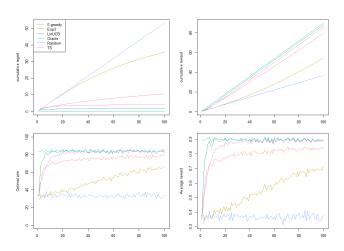
- See http:
  //sb.nth-iteration.com
- Currently used in several online evaluations of bandit policies



<sup>&</sup>lt;sup>4</sup>Kruijswijk, van Emden, Parvinen & Kaptein, 2018, StreamingBandit: Experimenting with Bandit Policies Journal of Statistical Software.

# Contextual — [R]

Package for offline evaluation of bandit policies see https://github.com/Nth-iteration-labs/contextual



# Questions?

#### Contact

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## Section 5

### References

- [1] Shipra Agrawal and Navin Goyal. Analysis of thompson sampling for the multi-armed bandit problem. In *Conference on Learning Theory*, pages 39–1, 2012.
- [2] Peter Auer, Nicolo Cesa-Bianchi, and Paul Fischer. Finite-time analysis of the multiarmed bandit problem. *Machine learning*, 47(2-3):235–256, 2002.
- [3] Donald A Berry and Bert Fristedt. Bandit problems: sequential allocation of experiments (monographs on statistics and applied probability). *London: Chapman and Hall*, 5:71–87, 1985.
- [4] Olivier Chapelle and Lihong Li. An empirical evaluation of thompson sampling. In Advances in neural information processing systems, pages 2249–2257, 2011.
- [5] Wei Chu, Lihong Li, Lev Reyzin, and Robert Schapire. Contextual bandits with linear payoff functions. In Proceedings of the Fourteenth International Conference on Artificial Intelligence and Statistics, pages 208–214, 2011.

- [6] Dean Eckles and Maurits Kaptein. Thompson sampling with the online bootstrap. arXiv preprint arXiv:1410.4009, 2014.
- [7] Jerome Friedman, Trevor Hastie, and Robert Tibshirani. *The elements of statistical learning*, volume 1. Springer series in statistics New York, NY, USA:, 2001.
- [8] Ian Goodfellow, Yoshua Bengio, Aaron Courville, and Yoshua Bengio. *Deep learning*, volume 1. MIT press Cambridge, 2016.
- [9] Maurits Kaptein. The use of thompson sampling to increase estimation precision. *Behavior research methods*, 47(2):409–423, 2015.
- [10] Maurits C Kaptein. Computational Personalization: Data science methods for personalized health. Tilburg University, 2018.
- [11] Emilie Kaufmann, Nathaniel Korda, and Rémi Munos. Thompson sampling: An asymptotically optimal finite-time analysis. In *International Conference on Algorithmic Learning Theory*, pages 199–213. Springer, 2012.
- [12] Lihong Li, Wei Chu, John Langford, and Robert E Schapire.

  A contextual-bandit approach to personalized news: article

- recommendation. In *Proceedings of the 19th international conference on World wide web*, pages 661–670. ACM, 2010.
- [13] Abdolreza Mohammadi and MC Kaptein. Contributed discussion on article by pratola [comment on" mt pratola, efficient metropolis-hastings proposal mechanisms for bayesian regression tree models"]. 2016.